

# Warmup

## A. Problem Statement

We would like to test the following hypotheses:

$$H_0: \mu = 3$$
$$H_A: \mu \neq 3,$$

Where:

- $\mu$  is the average number of UIUC games that ALL former STAT107 students have seen

In order to test this, we need to know more about the sampling distribution of

(1) \_\_\_\_\_.

## B. Random Sample

To conduct this hypothesis test, we collect a random sample of 40 former STAT107 students that has a mean number of games of 6 and a standard deviation of 2.

## C. Actual Sampling Distribution Creation

If we wanted to create this sampling distribution by hand, that would help us test these hypotheses we would need to do the following.

- Collect  $M$  random samples of size  $n=40$ , (2) \_\_\_\_\_ (WITH/WITHOUT) replacement from the population of all former STAT107 students.
- Then calculate the (3) \_\_\_\_\_ of each of these random samples and put them in a list.

## D. Theoretical Sampling Distribution

HOWEVER, we don't actually need to create this sampling distribution above, because we know the following things about this sampling distribution.

- The mean of this sampling distribution is approximately (4) \_\_\_\_\_.
- The standard deviation of this sampling distribution (aka the standard error) is approximately (5) \_\_\_\_\_.
- Because the following (6) \_\_\_\_\_ Theorem conditions for (1) \_\_\_\_\_ below hold, then the distribution of (1) \_\_\_\_\_ is (7) \_\_\_\_\_.
- a) \_\_\_\_\_
- b) \_\_\_\_\_
- c) \_\_\_\_\_

## E. What does a p-value really mean?

Because the sampling distribution of (1) \_\_\_\_\_ is (7) \_\_\_\_\_, we are able to calculate the p-value which represents:

p-value =  $P$ ((1) \_\_\_\_\_ that are at least as suspicious (in favor of the alternative hypothesis) as (8) \_\_\_\_\_ assuming that (9) \_\_\_\_\_)

For this problem, a (1) \_\_\_\_\_ that is at exactly as suspicious (of the null hypothesis) as (8) \_\_\_\_\_ is (10) \_\_\_\_\_.

## F. Calculating the p-value

